

RECURSION

PROGRAMS

#Recursive function to find the sum of n numbers starting from 0.(suppose we pass 6 then it process like 6+5+4+3+2+1+0 and returns

1

3

6

10

15

21

As result

```
def recursion(k):
```

```
    if(k>0):
```

```
        result = k+recursion(k-1)
```

```
        print(result)
```

```
    else:
```

```
        result = 0
```

```
    return result
```

```
print("\n\nRecursion Example Results")
```

```
recursion(6)
```

#Recursive function to add all numbers in a list.

```
def sum(list):  
    if len(list) == 1:  
        return list[0]  
    else:  
        return list[0] + sum(list[1:])  
  
print(sum([5,7,3,8,10]))
```

#Algorithm for binary search.

1. If your list is of size 0, return “not-found”.
2. Check the item located in the middle of your list.
3. If this item is equal to the item you are looking for:
you’re done! Return “found”.
4. If this item is bigger than the item you are looking for:
do a binary-search on the first half of the list.
5. If this item is smaller than the item you are looking for:
do a binary-search on the second half of the list.

#Algorithm for finding factorial recursively.

1. Take a number from the user and store it in a variable.
2. Pass the number as an argument to a recursive factorial function.
3. Define the base condition as the number to be lesser than or equal to 1 and return 1 if it is.
4. Otherwise call the function recursively with the number minus 1 multiplied by the number itself.
5. Then return the result and print the factorial of the number.
6. Exit.

#Algorithm for finding Fibonacci number.

1. Pass a number to recursive Fibonacci function
2. If number is ≤ 1 then return that number
3. Otherwise call the same function twice with number-1 and number-2 with addition operation

e.g. to find the 5th element of Fibonacci series, find F5 then F4 and so on till F0

$$F_2 = F_1 + F_0 = 1 + 0 = 1$$

$$F_3 = F_2 + F_1 = 1 + 1 = 2$$

$$F_4 = F_3 + F_2 = 2 + 1 = 3$$

$$F_5 = F_4 + F_3 = 3 + 2 = 5$$

#Recursive python function for fibonacci series

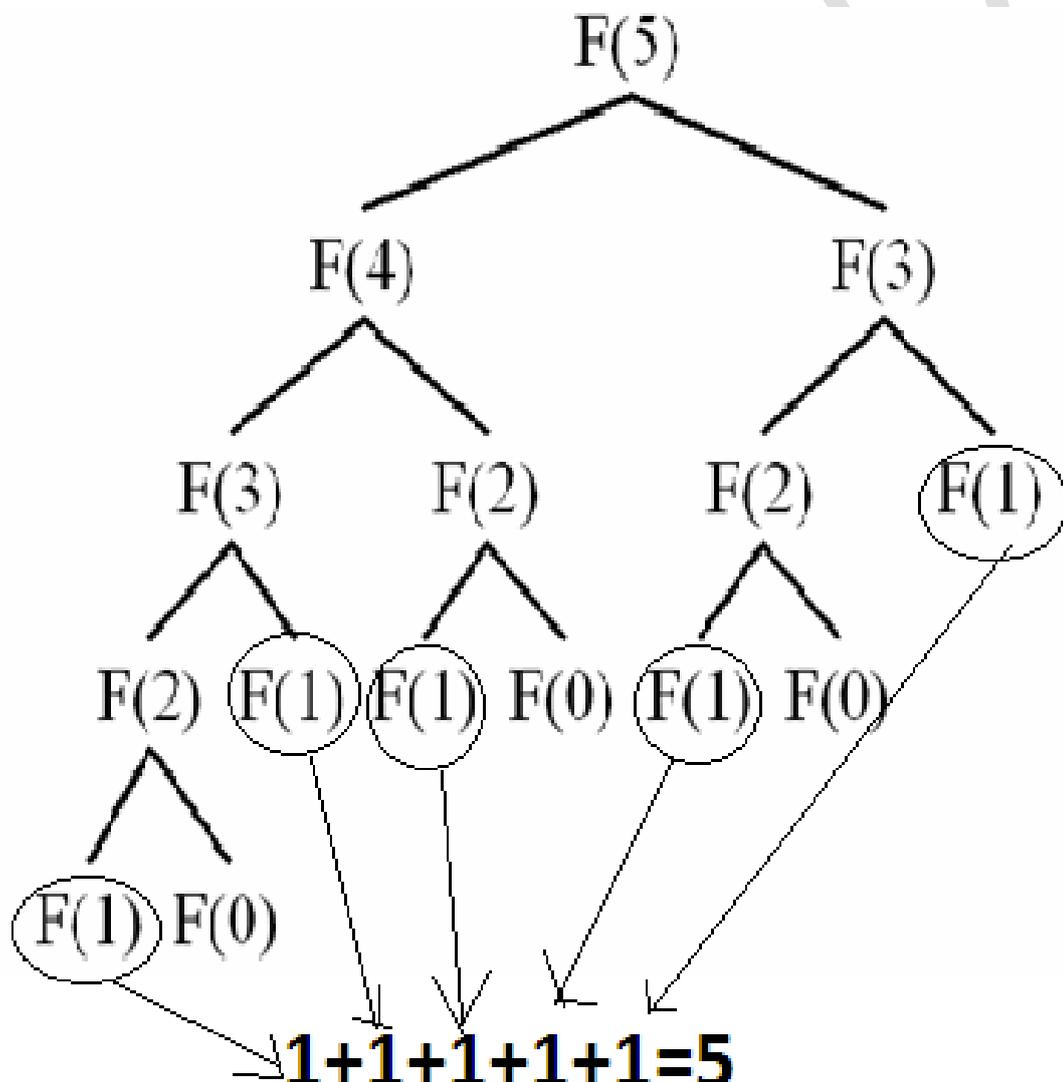
```
def recur_fibo(n):
```

```
    if n <= 1:
```

```
        return n
```

```
    else:
```

```
        return(recur_fibo(n-1) + recur_fibo(n-2))
```



Term 5 is 5 fibonacci

In pseudo code, where $n = 5$, the following takes place:
 $\text{fibonacci}(4) + \text{fibonacci}(3)$

This breaks down into:

$(\text{fibonacci}(3) + \text{fibonacci}(2)) + (\text{fibonacci}(2) + \text{fibonacci}(1))$

This breaks down into:

$((\text{fibonacci}(2) + \text{fibonacci}(1)) + (\text{fibonacci}(1) + \text{fibonacci}(0))) + (((\text{fibonacci}(1) + \text{fibonacci}(0)) + 1))$

This breaks down into:

$((((\text{fibonacci}(1) + \text{fibonacci}(0)) + 1) + ((1 + 0)) + ((1 + 0) + 1))$

This breaks down into:

$((((1 + 0) + 1) + ((1 + 0)) + ((1 + 0) + 1))$